

For submission instructions, see:

<http://faculty.washington.edu/rjl/classes/am574w2017/homework1.html>

Problem #2.7 in the book

Problem #3.1 in the book You might want to do Problem 3.2 first.

Problem #3.2 in the book

You can use Matlab for this one, but I suggest you try writing the program in Python. A Jupyter notebook will be provided to help you get started.

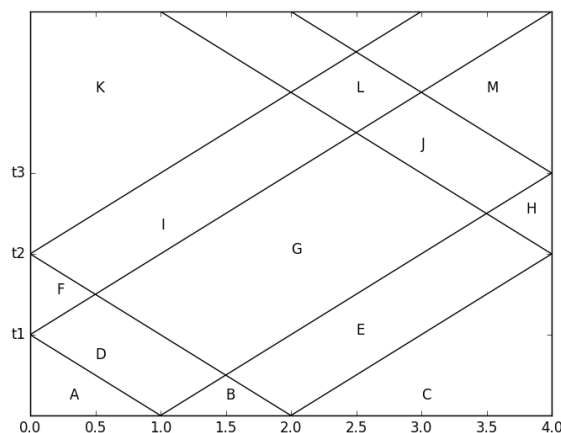
Note that the module `numpy.linalg` contains an `eig` function similar to Matlab.

Problem #3.3 in the book

Following the sort of thing done in script `problem_3_5.py` might be useful if you want to insert a figure in your solution, or you can draw with another programming language, or sketch the solution by hand and scan.

Problem #3.5 in the book

The script `problem_3_5.py` was used to generate this figure:



To solve this problem, determine the states A, B, \dots, M and also the times t_1, t_2, t_3 . The times can be written in terms of the parameters ρ_0 and K_0 , which were not stated in the problem.

For example,

$$A = \begin{bmatrix} 0 \\ 0 \end{bmatrix}, \quad B = \begin{bmatrix} 1 \\ 0 \end{bmatrix}, \quad C = \begin{bmatrix} 0 \\ 0 \end{bmatrix}, \quad \dots$$

Problem #3.5A Solve #3.5 with *periodic* boundary conditions instead of reflecting walls. Sketch the solution in the $x-t$ plane up to at least time t_3 (as in #3.5 the time the right-going wave from $x_0 = 1$ hits the right boundary) and indicate the state in each section. You might want to modify the script `problem_3_5.py` to make the plot.

Problem #4.1 in the book

Problem #4.2 in the book