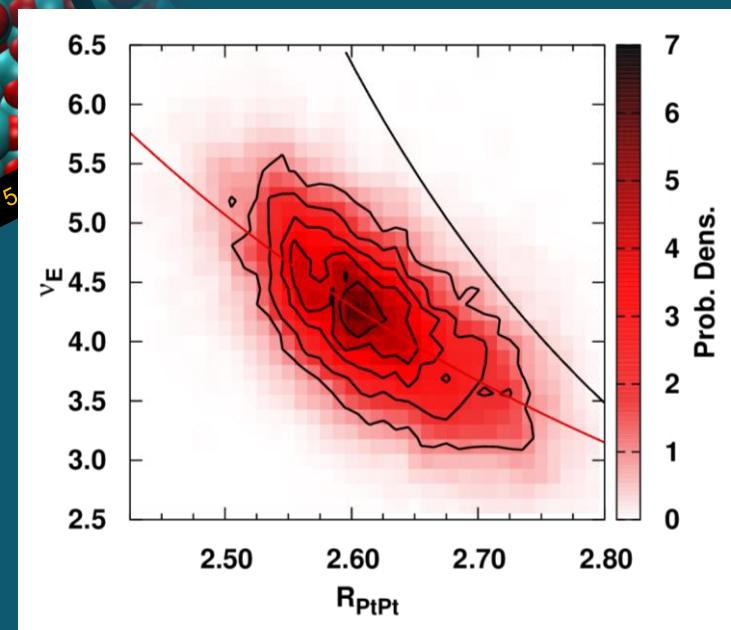
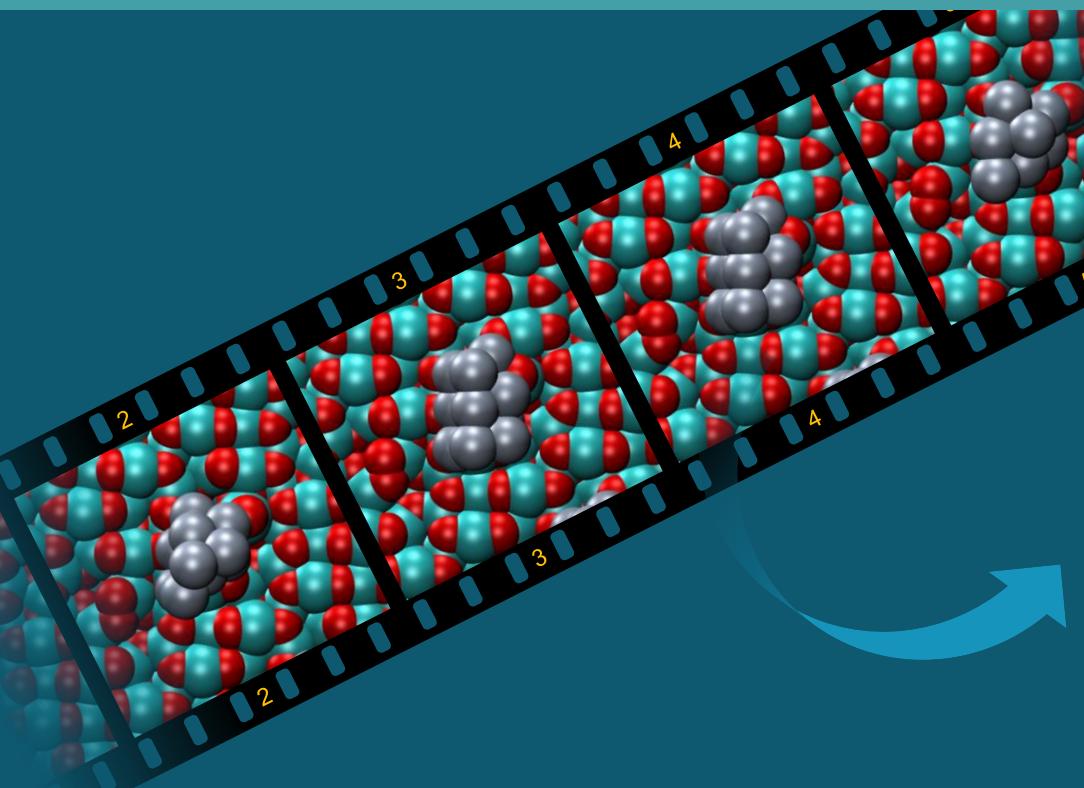


Dynamic Anomalies in the Nanoscale Structure and Disorder of Supported Metal Nanoparticles

F. D. Vila, A. I. Frenkel, R. G. Nuzzo and J. J. Rehr



Dynamic Disorder in Nanosystems

Drives structural effects:

- Fluctuating bonding
- Cluster mobility

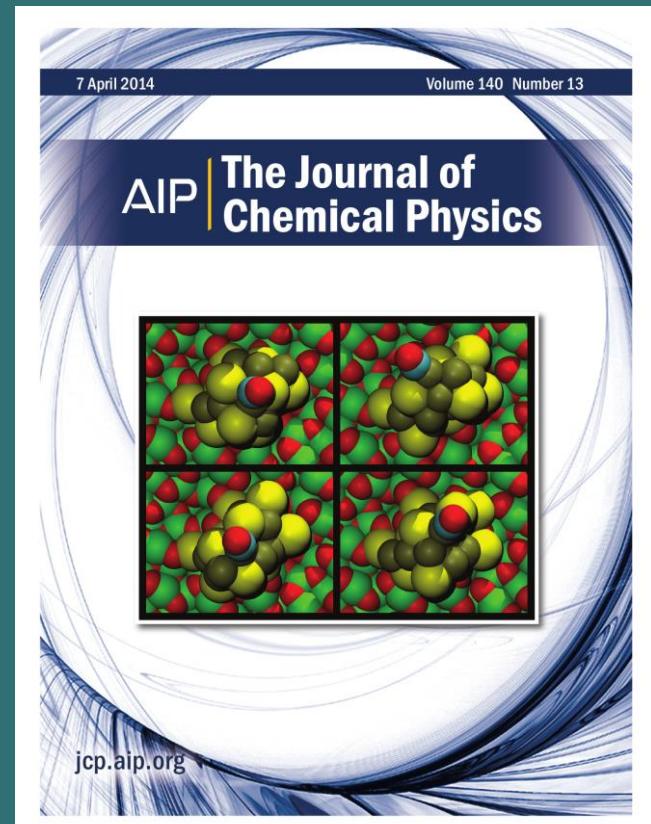
Affects electron distributions:

- Charge separation
- Layering and segregation

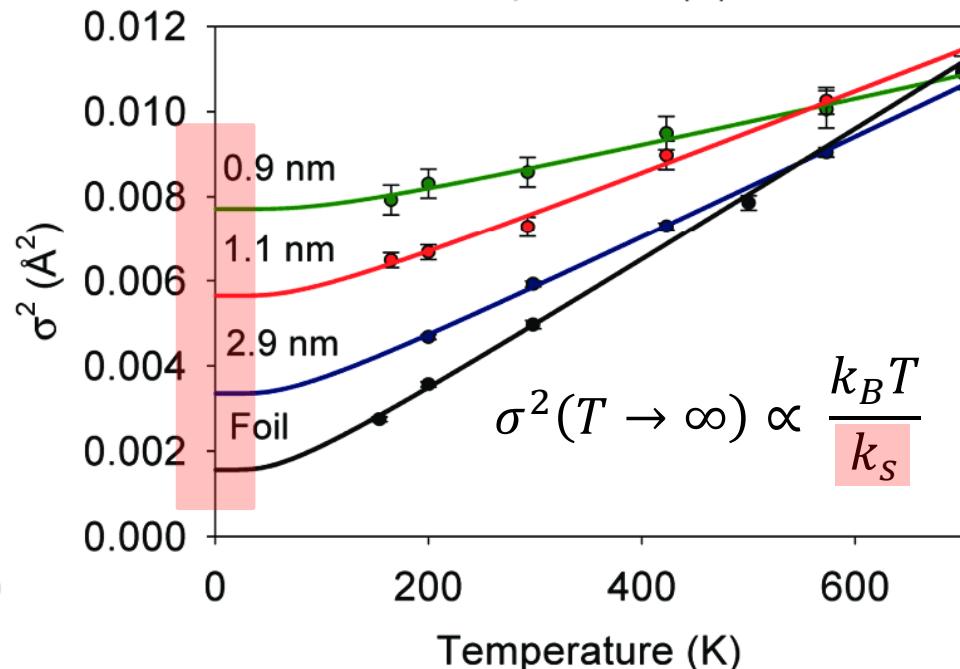
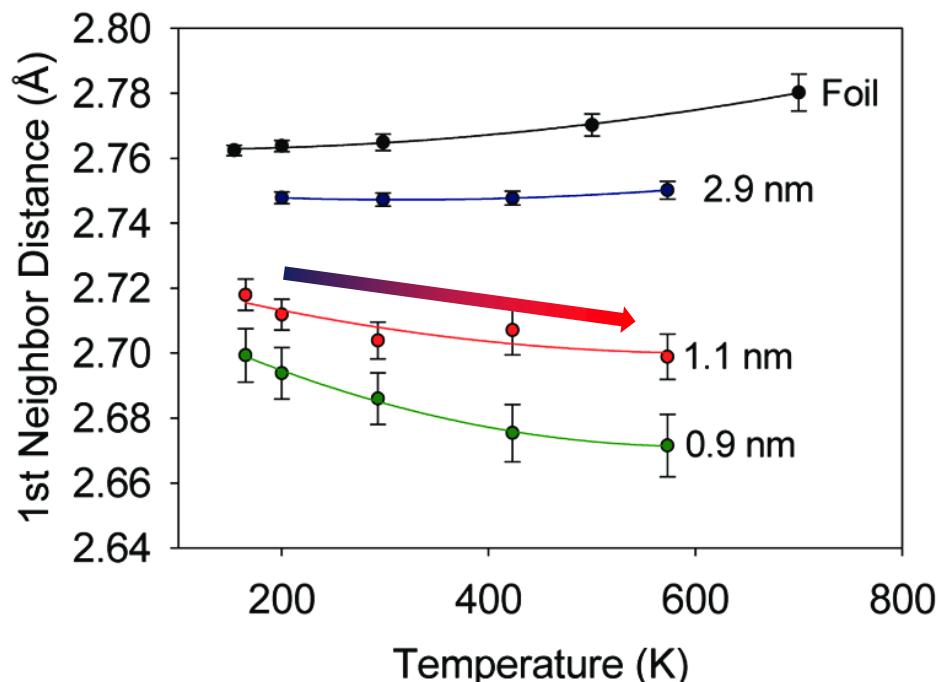
Enriches the catalytic landscape:

- Changes adsorbate dynamics (right)
- Opens new reaction channels

CO dynamics on $\text{Pt}_{10}\text{Sn}_{10}$



Experiment: Anomalies in Supported Pt NPs



Negative Thermal Expansion (NTE) in smaller NPs

Large 0K ("static") disorder in smaller NPs

Apparent bond strengthening with NP size decrease

Anomalous Effective Grüneisen Parameter?

$$\gamma = -\frac{1}{3} \frac{d \ln \nu_E}{d \ln R_{\text{PtPt}}} \quad \Rightarrow \quad \gamma \cong -\frac{1}{3} \frac{\Delta \nu_E}{\Delta R_{\text{PtPt}}} \frac{R_{\text{PtPt}}}{\nu_E}$$

Pt metal:

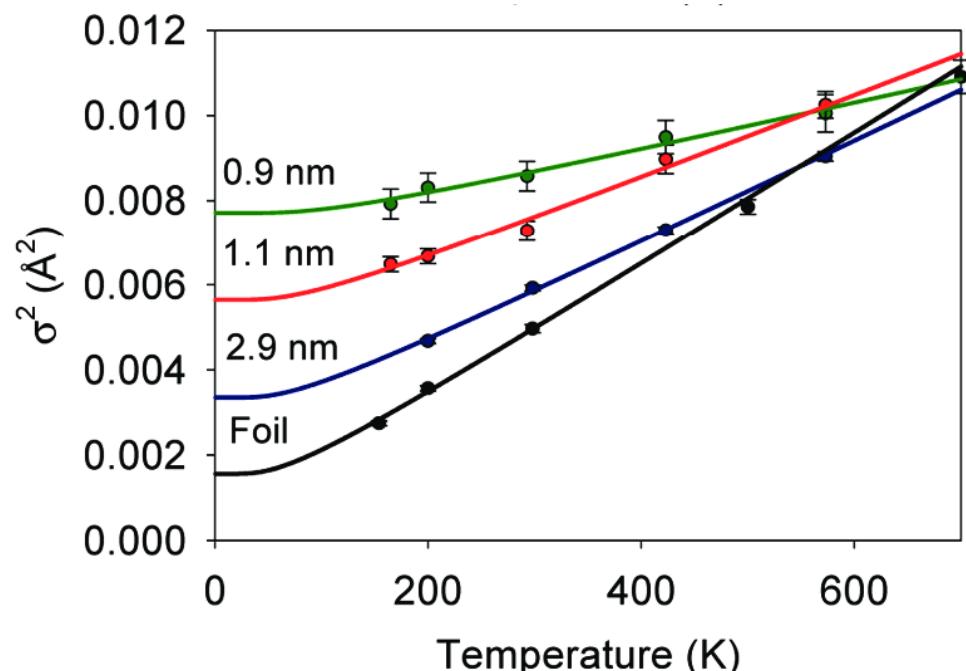
Expt: $\gamma = 2.7$
Theo: $\gamma = 2.8$

0.9-1.1 nm NPs:

From Einstein Model Fit:
Expt: $\gamma \cong 5 \pm 2$

Einstein Model with Static Disorder

$$\sigma^2(T) = \sigma_S^2 + \frac{h}{8\pi^2\mu\nu_e} \frac{1}{\coth\left(\frac{h\nu_E}{2k_B T}\right)}$$



Effective Grüneisen parameter larger in NPs than bulk

Anomalous Effective Grüneisen Parameter?

$$\gamma = -\frac{1}{3} \frac{d \ln \nu_E}{d \ln R_{\text{PtPt}}} \quad \Rightarrow \quad \gamma \cong -\frac{1}{3} \frac{\Delta \nu_E}{\Delta R_{\text{PtPt}}} \frac{R_{\text{PtPt}}}{\nu_E}$$

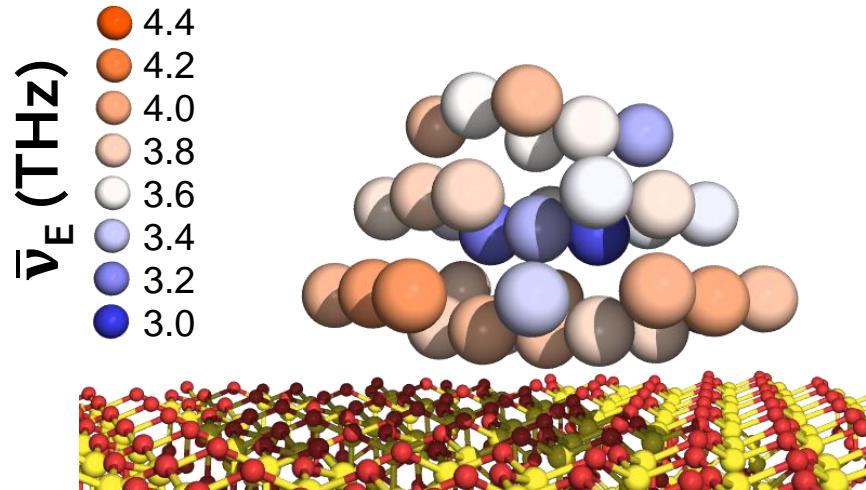
Pt metal:

Expt: $\gamma = 2.7$
Theo: $\gamma = 2.8$

0.9-1.1 nm NPs:

From Einstein Model Fit:

Expt: $\gamma \cong 5 \pm 2$



$$\rho_R(\omega) \cong \sum_{i=1}^N w_i \delta(\nu - \nu_i)$$

$$\bar{\nu}_E = \langle \nu^{-2} \rangle^{-\frac{1}{2}} = \left(\sum_{i=1}^N \frac{w_i}{\nu_i^2} \right)^{-\frac{1}{2}}$$

We can estimate from R -dependent PDOS

A. Frenkel: Anomalous Effective Grüneisen Parameter?

$$\gamma = -\frac{1}{3} \frac{d \ln \nu_E}{d \ln R_{\text{PtPt}}} \Rightarrow \gamma \cong -\frac{1}{3} \frac{\Delta \nu_E}{\Delta R_{\text{PtPt}}} \frac{R_{\text{PtPt}}}{\nu_E}$$

Pt metal:

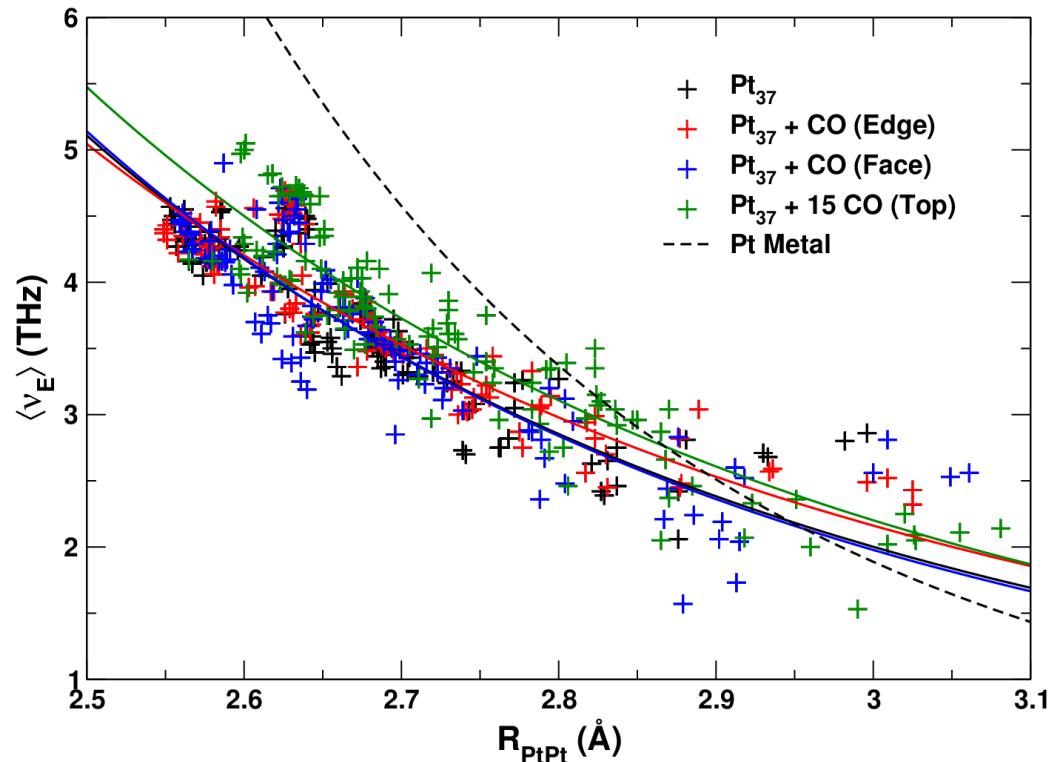
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From Einstein Model Fit:
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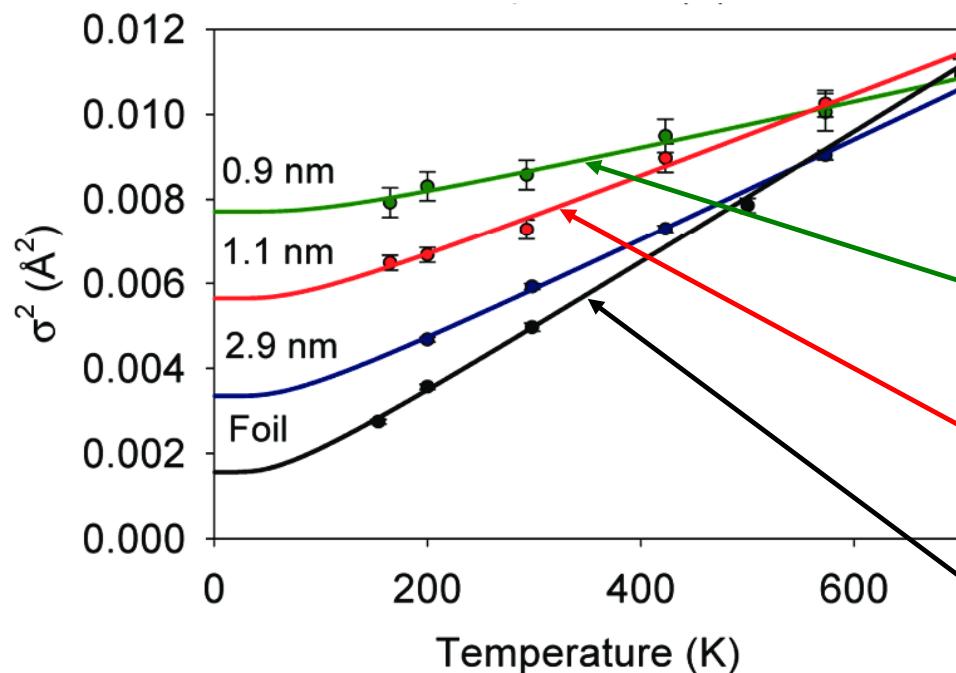
Pt₃₇ on C:

From Vib. Component:
 $\gamma \cong 1.7$



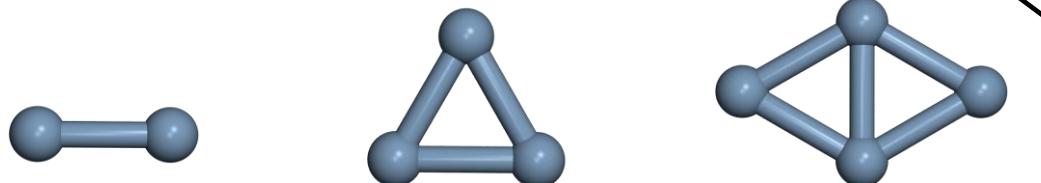
What is the origin of this discrepancy?

The Problem: Anomalous Bond Strengths Einstein Model



Einstein Model with Static Disorder

$$\sigma^2(T) = \sigma_S^2 + \frac{h}{8\pi^2\mu\nu_e} \frac{1}{\coth\left(\frac{h\nu_E}{2k_B T}\right)}$$



$\nu_E \approx 6.4 \text{ THz}$

$\nu_E \approx 6.4 \text{ THz}$

$\nu_E \approx 4.5 \text{ THz}$

Pt Foil:
 $\nu_E \approx 3.8 \text{ THz}$

0.9 nm NPs:
 $\nu_E \approx 6.3 \text{ THz}$

1.1 nm NPs:
 $\nu_E \approx 4.6 \text{ THz}$

This Talk:

“The Mystery of the Superstrong Pt Nanoparticles”

Computational Details

Systems:

Pt₁₀ and Pt₂₀ clusters

Support:

γ -Al₂O₃

4 layers

Dehydroxylated

Cell:

19.4 Å \times 13.7 Å

16 Å vacuum

MD Setup:

6 initial conditions

20 ps runs:

10 ps thermalization

10 ps analysis

3 fs time-step

Nosé-Hoover thermostat

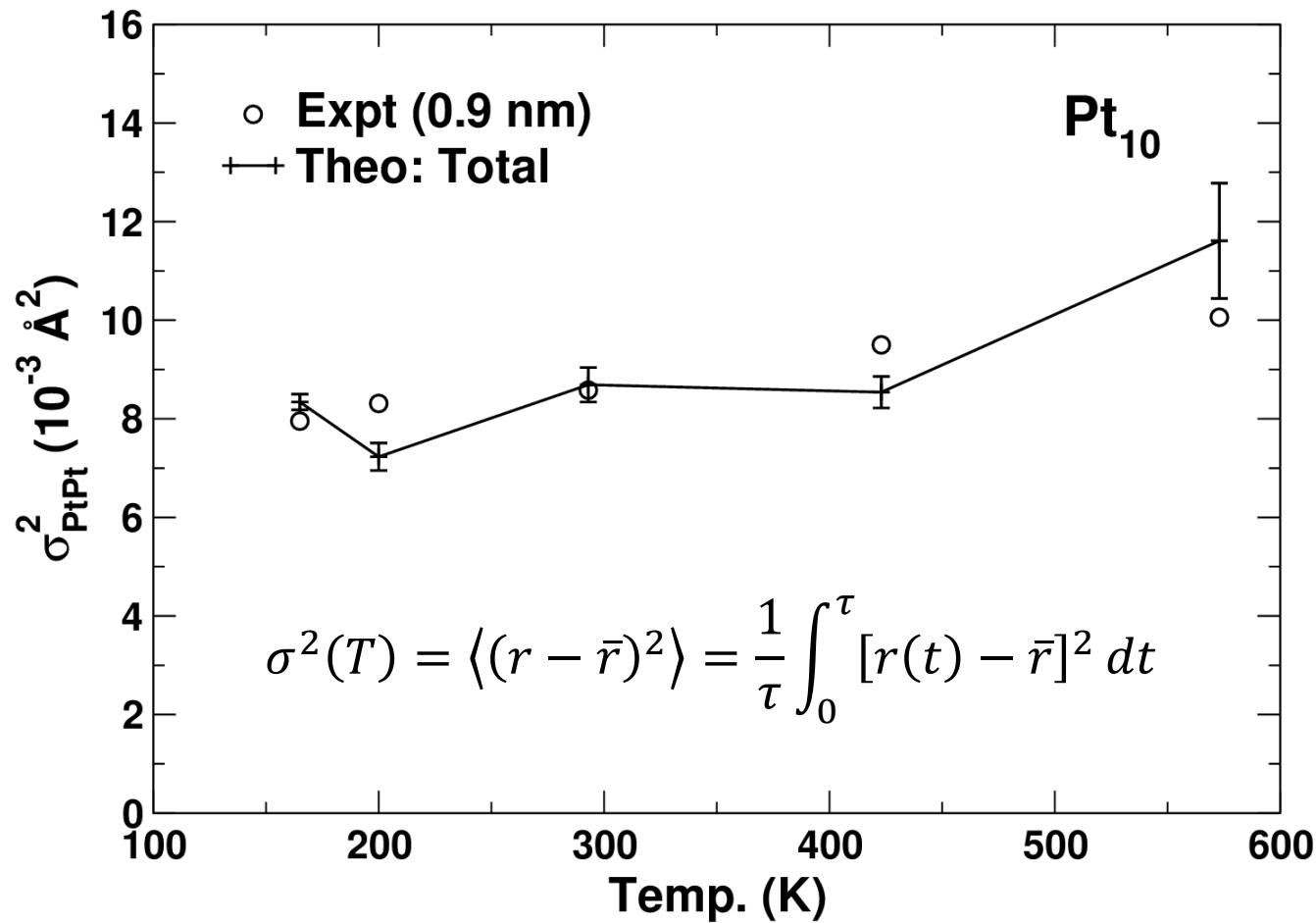
Method:

PBE XC functional

US PPs, 297 eV cutoff

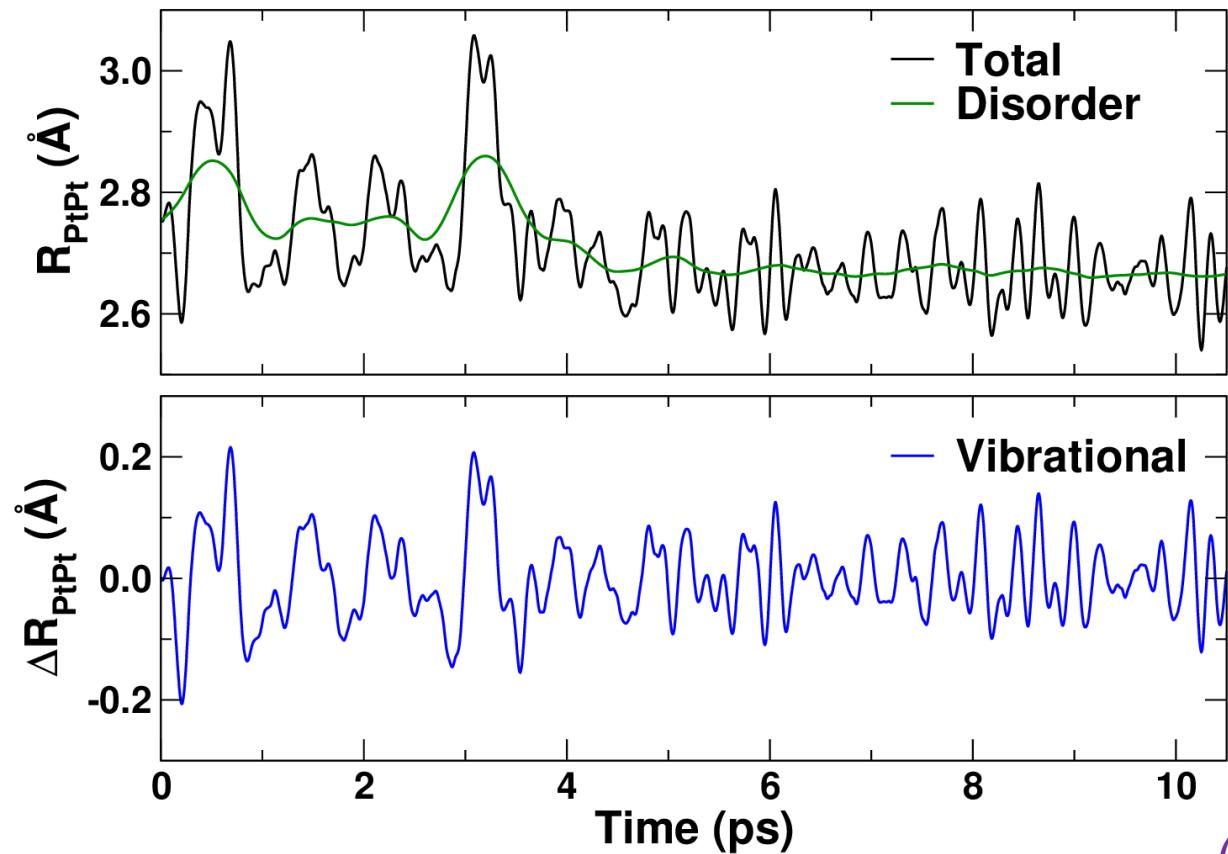
VASP

Total Mean Square Relative Displacement (MSRD)



Reasonable agreement between theory and expt.

High (> 1THz) and Low (< 1 THz) Frequency Filtering

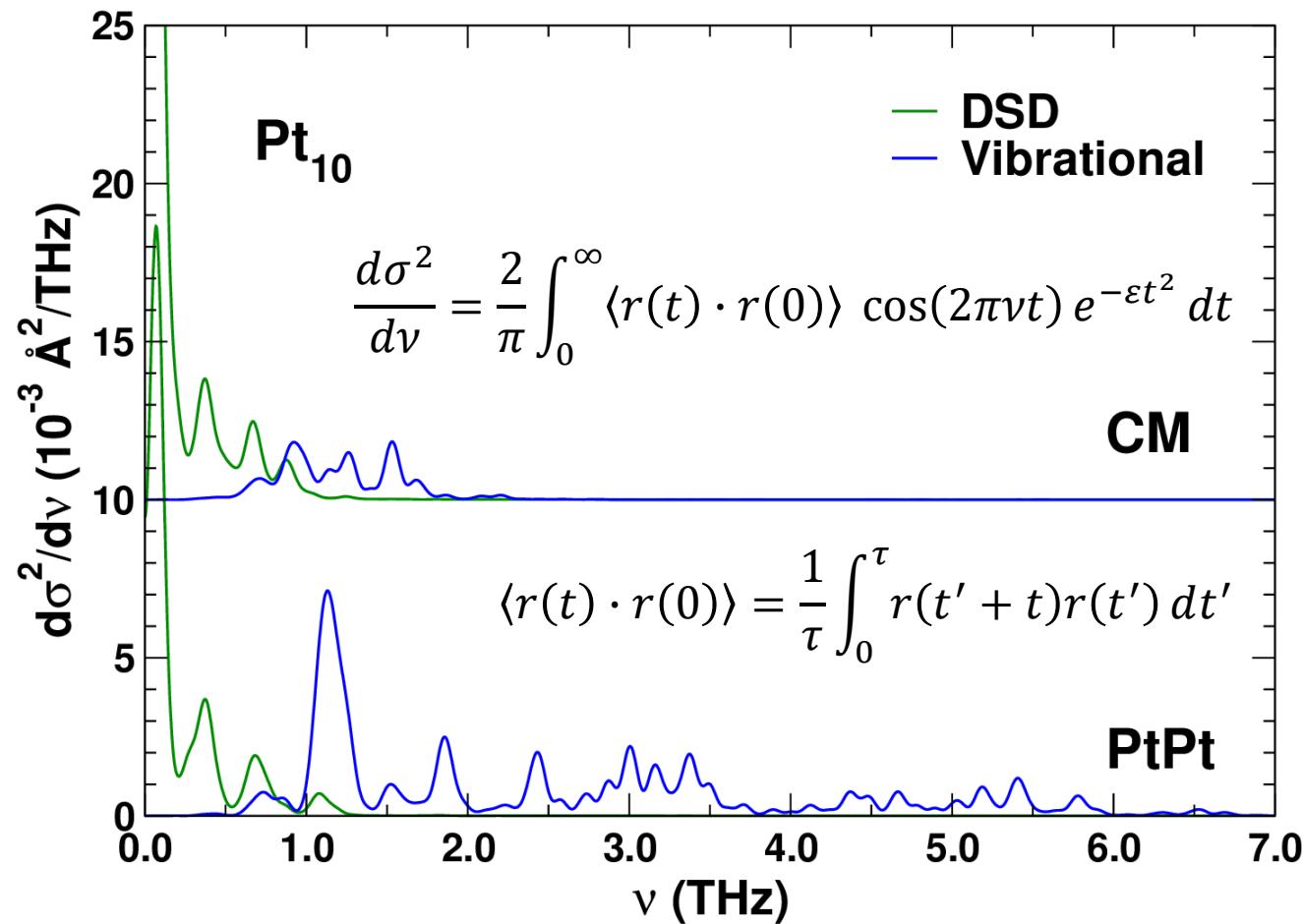


$$r_L(t) = \int_{-\infty}^{+\infty} r(\tau) F(t - \tau) d\tau$$

$$r_H(t) = r(t) - r_L(t)$$

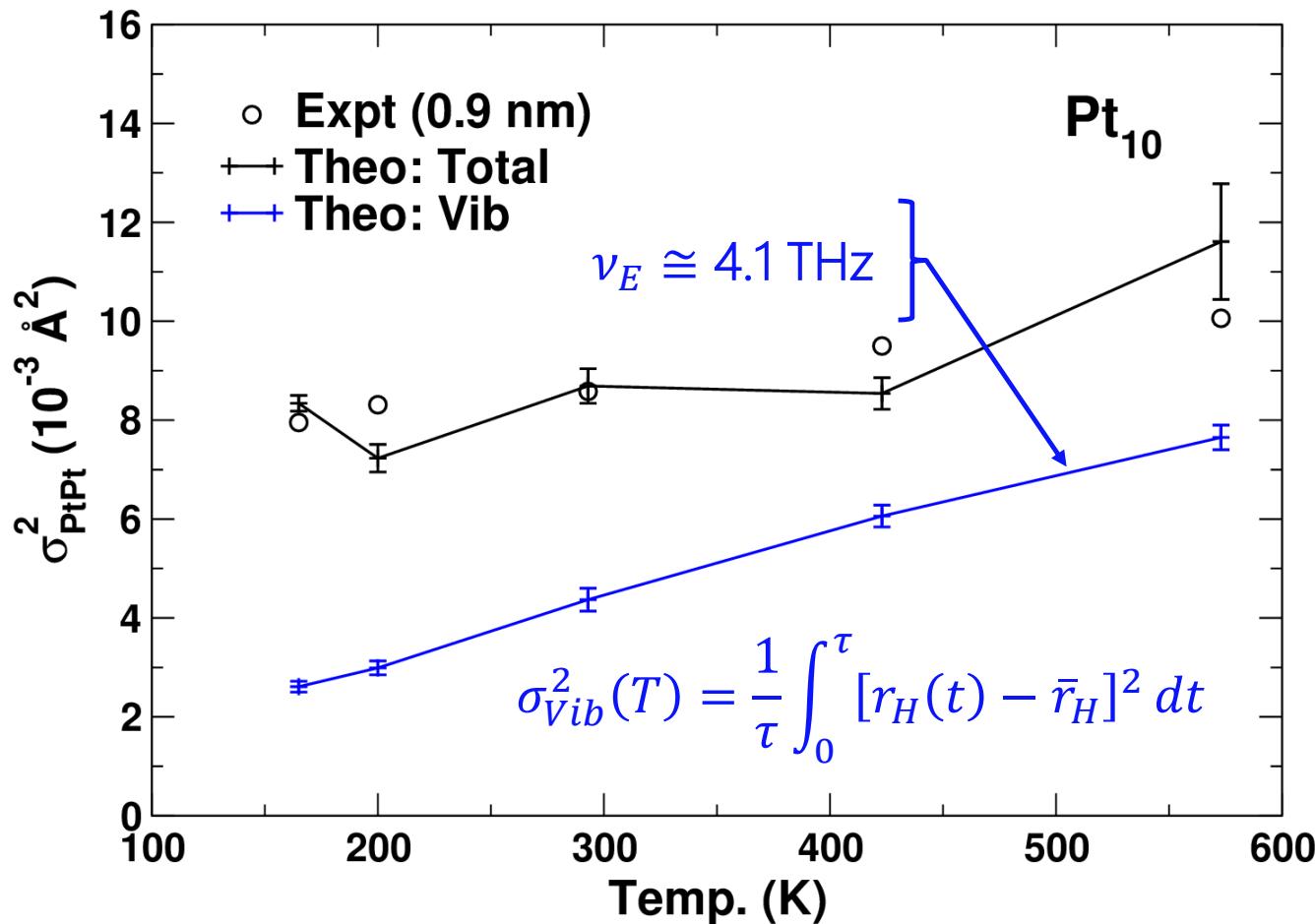
Filter Function: $F(t) = \begin{cases} \frac{\pi}{2} \nu_L \cos(\pi \nu_L t), & |t| < 1/2\nu_L \\ 0, & |t| \geq 1/2\nu_L \end{cases}$

Power Spectra of CM and Pt-Pt Dynamics



Nice separation of slow and fast dynamic regimes

Vibrational MSRD

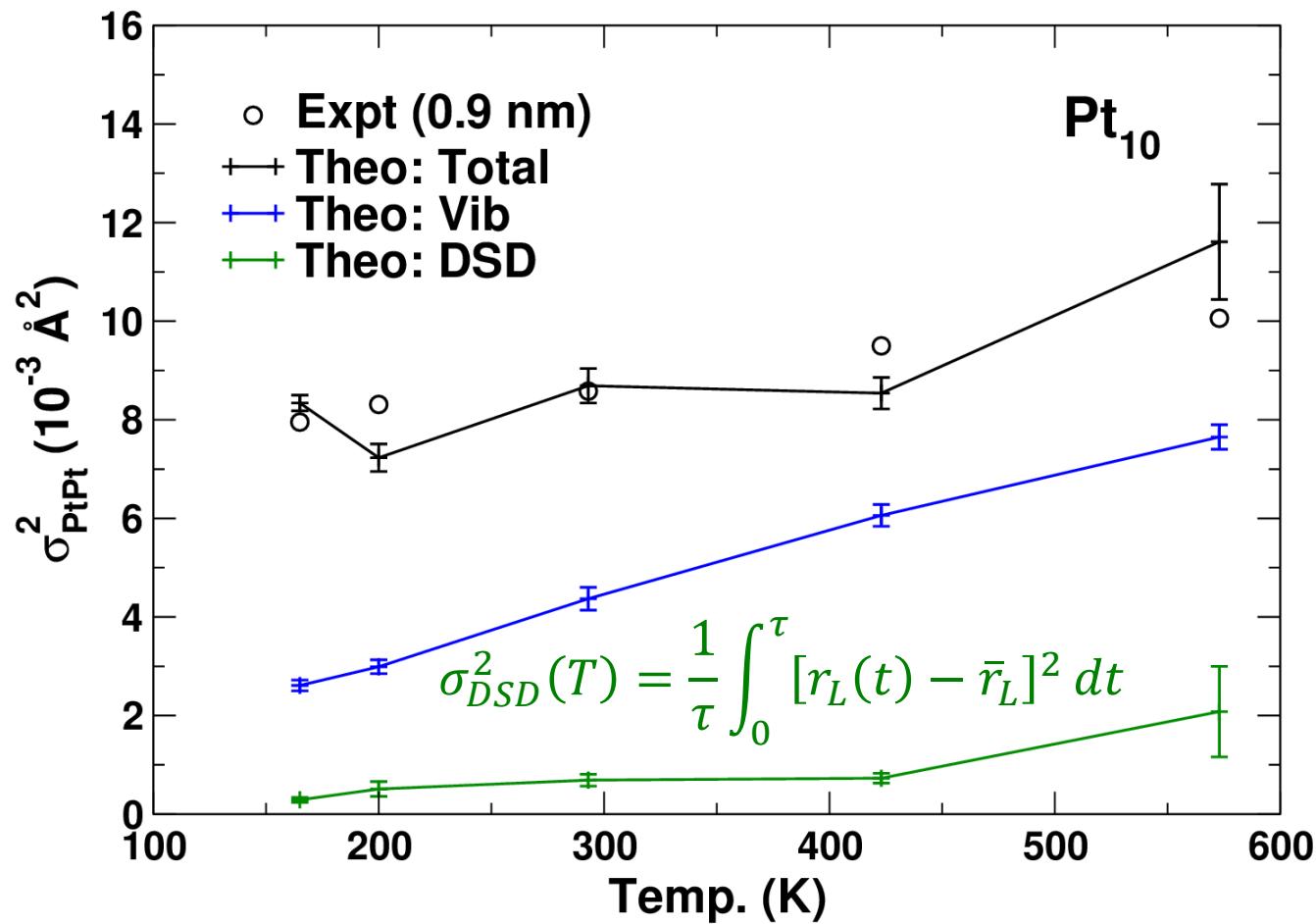


0.9 nm NPs:
 $\nu_E \approx 6.3 \text{ THz}$

Pt Foil:
 $\nu_E \approx 3.8 \text{ THz}$

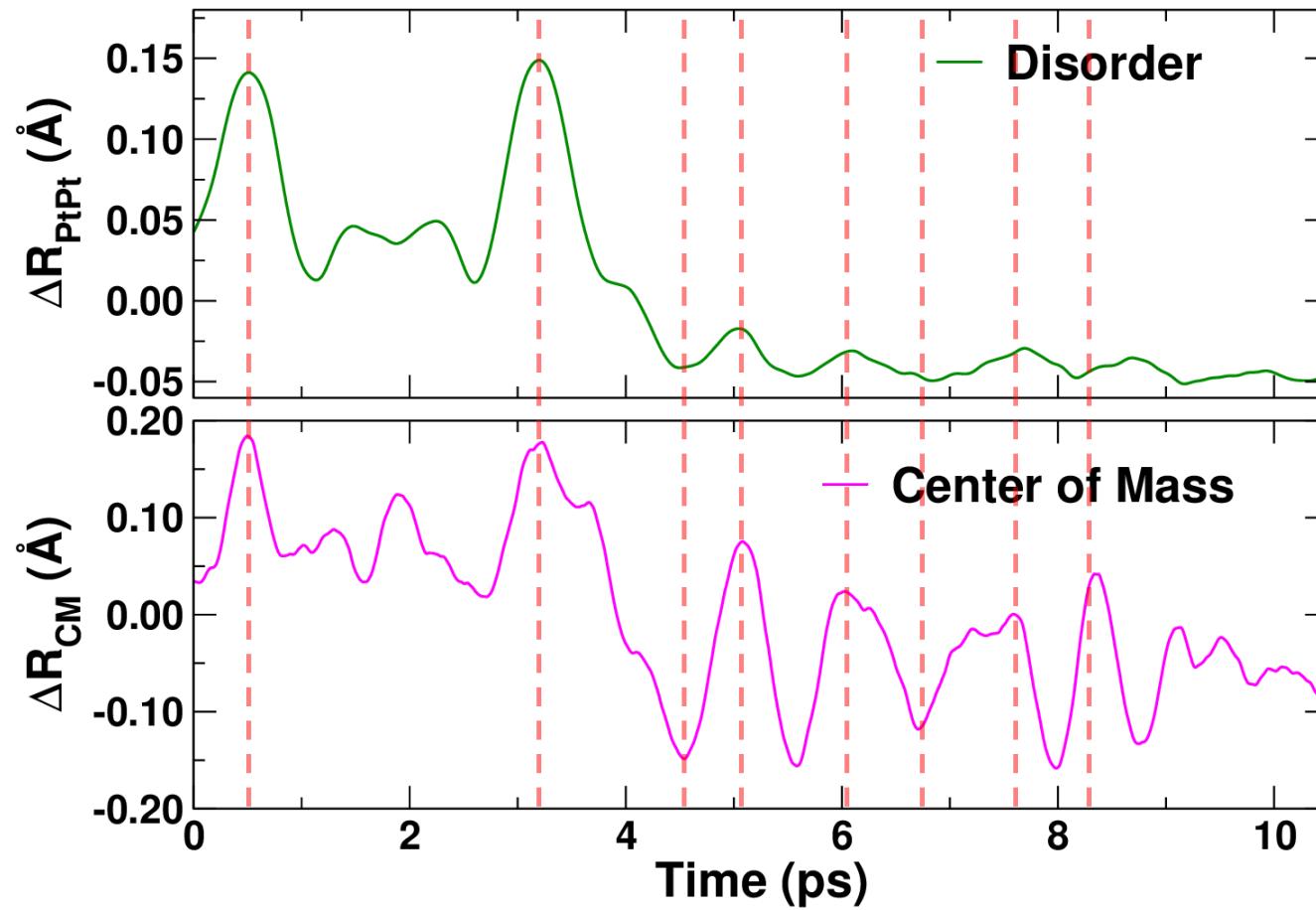
Normal linear vibrational behavior

Dynamic Structural Disorder (DSD) MSRD



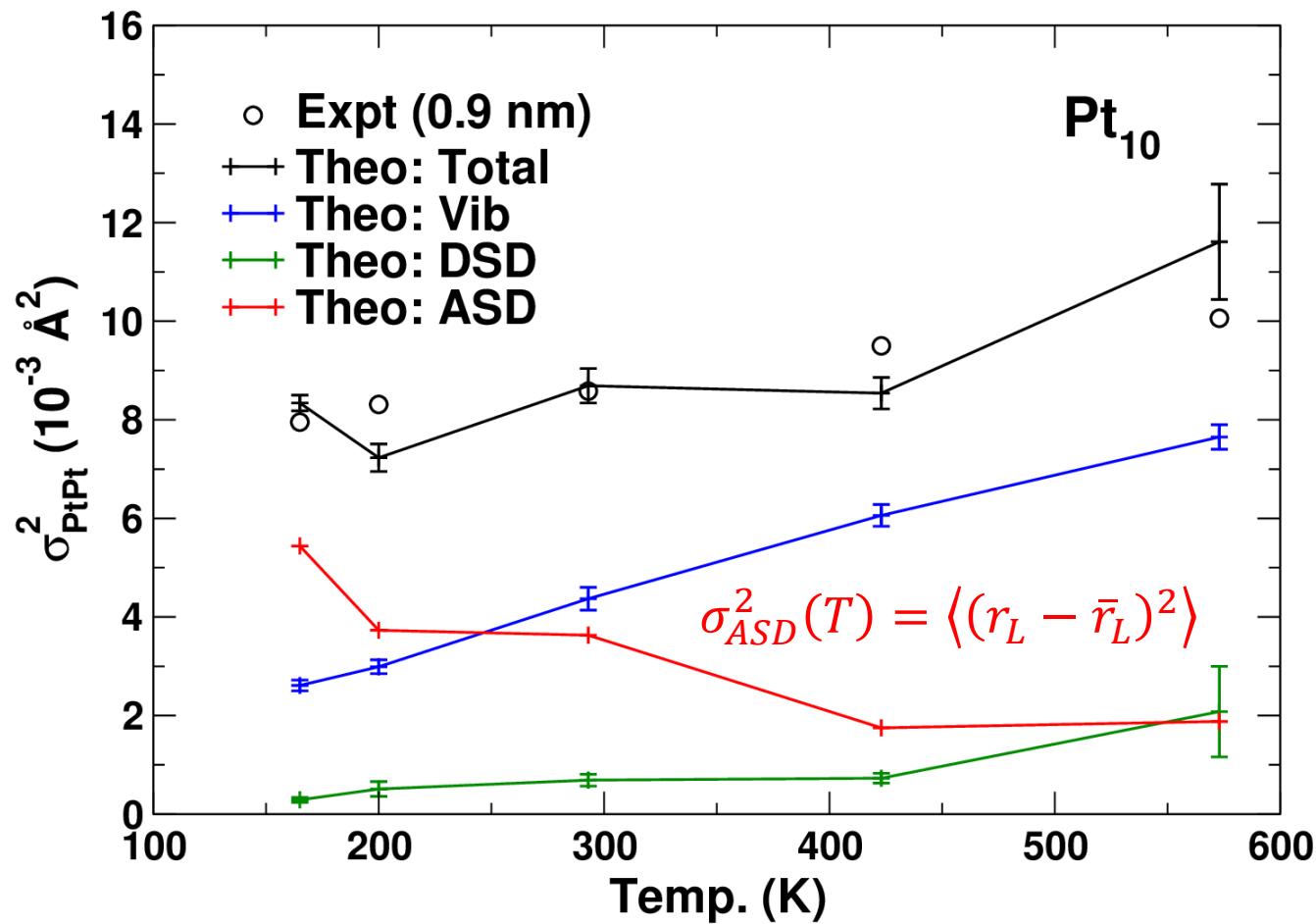
Normal linear behavior: Low frequency quasi-harmonic modes

DSD: Correlation Between CM and Pt-Pt Dynamics



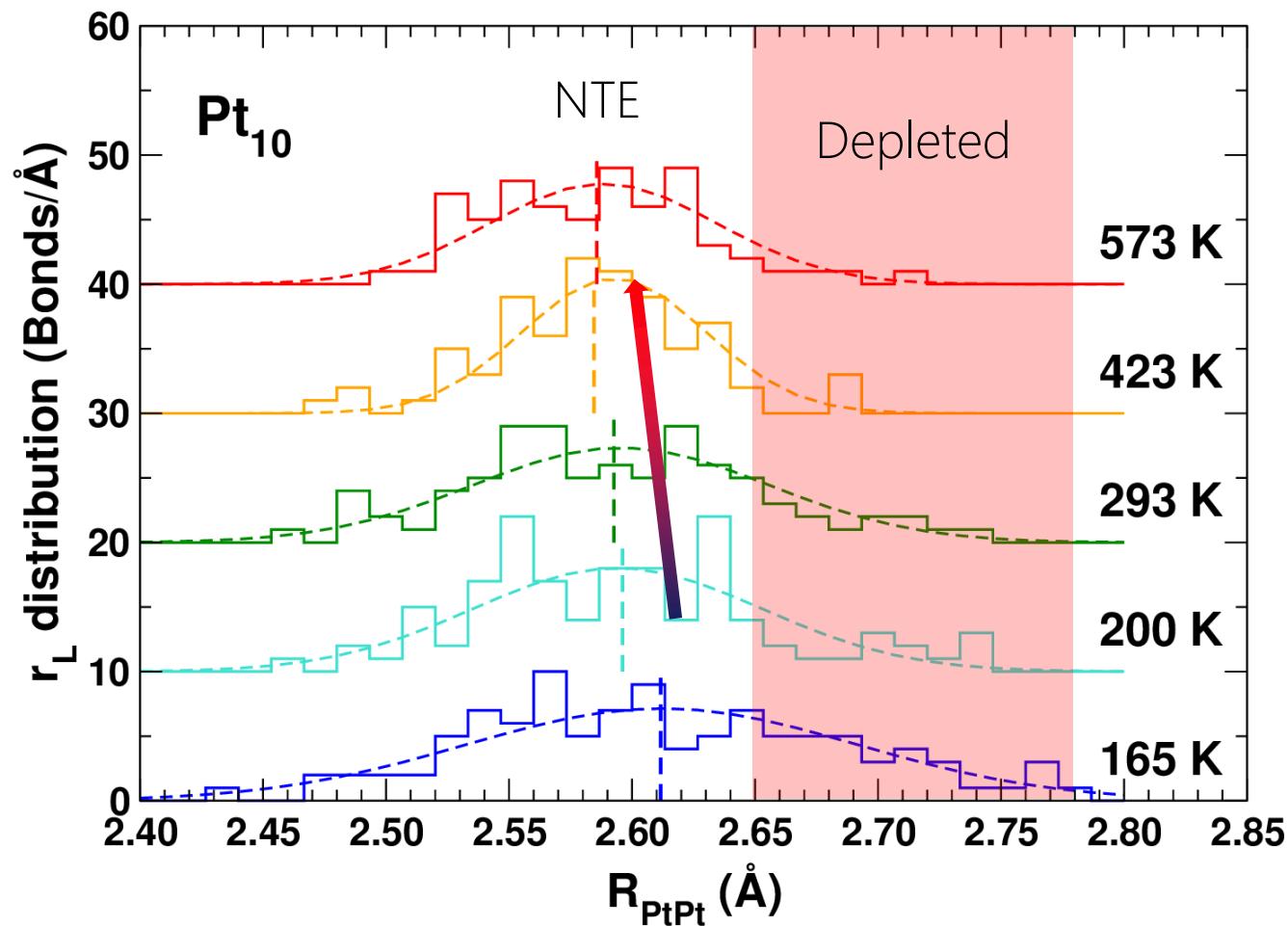
Moderate/strong correlation between CM libration and Pt-Pt bonds

Anomalous Structural Disorder (ASD) MSRD



Anomalous quasi-static disorder: Causes apparent strengthening

Temp. Dep. Anomalous Bond Distributions ($\sigma_{ASD}^2(T)$)



Dynamic activation and depletion of long bonds

Grüneisen Parameter: NPs vs Bulk

$$\gamma = -\frac{1}{3} \frac{d \ln \nu_E}{d \ln R_{PtPt}}$$



$$\gamma \cong -\frac{1}{3} \frac{\Delta \nu_E}{\Delta R_{PtPt}} \frac{R_{PtPt}}{\nu_E}$$

Pt metal:

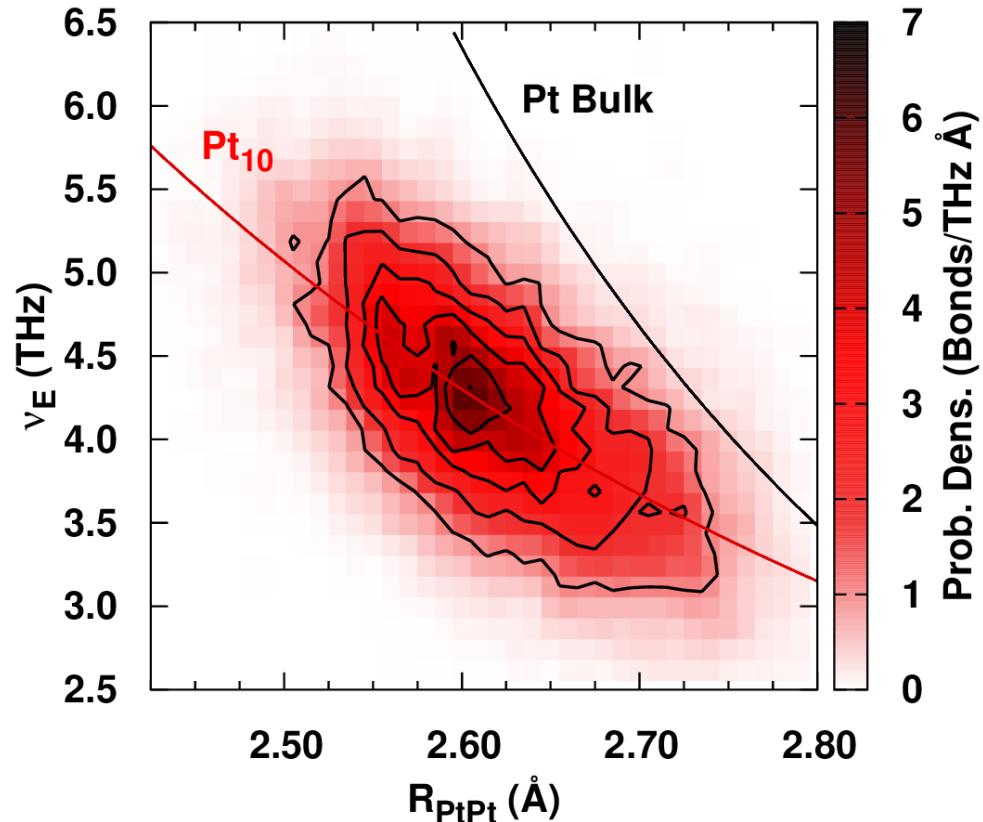
Expt: $\gamma = 2.7$
Theo: $\gamma = 2.8$

Nanoparticle:

From Einstein Model Fit:
Expt: $\gamma \cong 5 \pm 2$
Theo: $\gamma \cong 4 \pm 2$

From Vib. Component:

Theo (Sta.) $\gamma \cong 1.7$
Theo (MD) $\gamma \cong 1.4 \pm 0.2$



Grüneisen Parameter: Enhanced by anomalous disorder

Summary

Partitioned MSRD from DFT/MD simulations reveals:

NEW concept:

Anomalous Structural Disorder (ASD)
Decreases with T

Single mechanism, dynamic activation, explains:

NTE
Large disorder
Bond strengthening

Normal behavior of Pt-Pt vibrations, but slightly stronger bonds
Coupling to CM motion → Dynamic disorder

Implications for interpretation of EXAFS:

Analysis must account for both ASD and DSD
Need new ASD modelling approach
Anomaly signature?: $\gamma_{NP} > \gamma_{Bulk}$

Dynamic anomalies in the nanoscale structure and disorder of supported metal nanoparticles

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